

# Traversing a Binary Tree

# Traversing Binary Tree

There are 3 ways of traversing a binary tree T having root R.

## 1. Preorder Traversing

- Steps:

- (a) Process the root R

- (b) Traverse the left subtree of R in preorder.

- (c) Traverse the right subtree of R in preorder.

- Example:

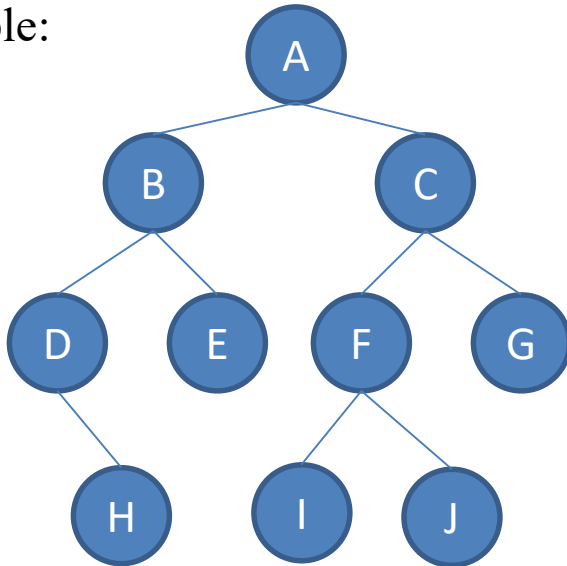


Figure: Binary Tree T

## Preorder Traversal of T

A, B, D, H, E, C, F, I, J, G

## 2. Inorder Traversing

- Steps:
  - (a) Traverse the left subtree of R in inorder.
  - (b) Traverse the root R.
  - (c) Traverse the right subtree of R in inorder.
- Example:

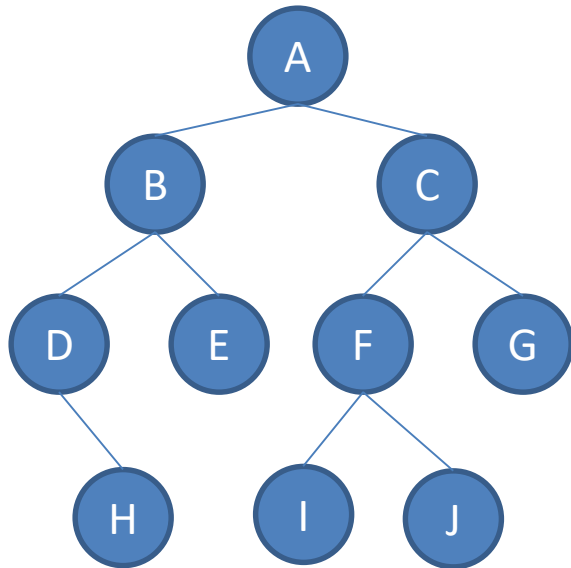


Figure: Binary Tree T

### Inorder Traversal of T

D, H, B, E, A, I, F, J, C, G

### 3. Postorder Traversing

- Steps:
  - (a) Traverse the left subtree of R in postorder.
  - (b) Traverse the right subtree of R in postorder.
  - (c) Traverse the root R.
- Example:

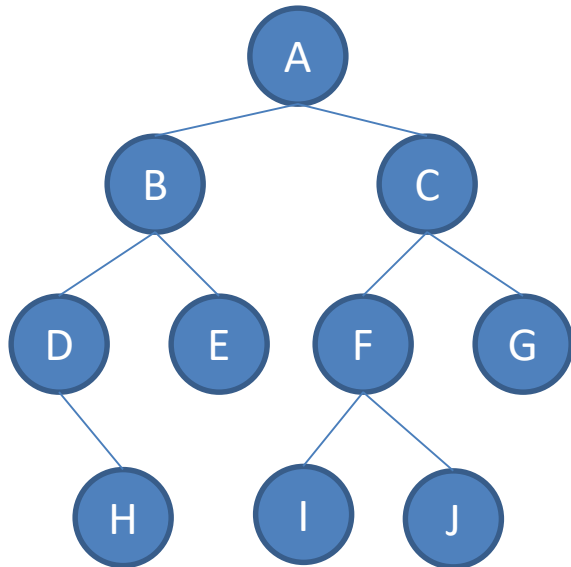


Figure: Binary Tree T

### Postorder Traversal of T

H, D, E, B, I, J, F, G, C, A

# Traversal Algorithms Using Stacks

## Preorder Traversal Using Stack

Algorithm: Preorder\_Traverse(Tree, Root, Stack)

- (1) Set Stack[0]=Null and Top=1 and Ptr=Root
- (2) Repeat steps (3) to (5) until Ptr  $\neq$  NULL
- (3) Process Ptr->Info.
- (4) if Ptr->Right  $\neq$  NULL then set Stack[Top]=Ptr->Right and Top=Top+1
- (5) If Ptr->Left  $\neq$  NULL then set Ptr=Ptr->Left  
else Set Ptr=Stack[Top] and Top=Top-1
- (6) Exit.

Example:

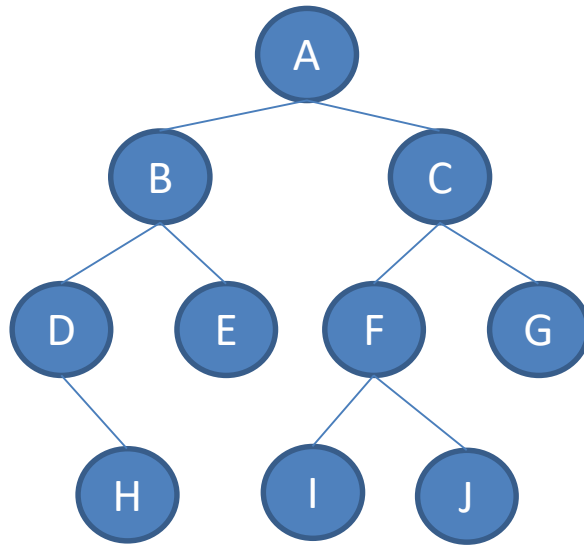


Figure: Binary Tree T

1. Initially  $\text{Ptr} := A$  and  $\text{Stack}: \emptyset$
2. Proceed down the left-most path rooted at  $\text{Ptr} = A$ 
  - i. Process A, Push C onto Stack.  $\text{Stack}: \emptyset, C$
  - ii. Process B, Push E onto Stack.  $\text{Stack}: \emptyset, C, E$
  - iii. Process D, Push H onto Stack.  $\text{Stack}: \emptyset, C, E, H$
3. Pop the Stack and Set  $\text{Ptr} := H$ .  $\text{Stack}: \emptyset, C, E$
4. Proceed down the left-most path rooted at  $\text{Ptr} = H$ 
  - i. Process H

5. Pop the Stack and Set  $\text{Ptr} := E$  and  $\text{Stack}: \emptyset, C$
6. Proceed down the left-most path rooted at  $\text{Ptr} = E$ 
  - i. Process E
7. Pop the Stack and Set  $\text{Ptr} := C$  and  $\text{Stack}: \emptyset$
8. Proceed down the left-most path rooted at  $\text{Ptr} = C$ 
  - i. Process C, Push G onto Stack.  $\text{Stack}: \emptyset, G$
  - ii. Process F, Push J onto Stack.  $\text{Stack}: \emptyset, G, J$
  - iii. Process I
9. Pop the Stack and Set  $\text{Ptr} := J$  and  $\text{Stack}: \emptyset, G$
10. Proceed down the left-most path rooted at  $\text{Ptr} = J$ 
  - i. Process J
11. Pop the Stack and Set  $\text{Ptr} := G$  and  $\text{Stack}: \emptyset$
12. Proceed down the left-most path rooted at  $\text{Ptr} = G$ 
  - i. Process G
13. Pop the Stack and set  $\text{Ptr} := \emptyset$  and Exit.

Preorder Traversal of T: A, B, D, H, E, C, F, I, J, G

## 2. Inorder Traversal Using Stack

Algorithm: Inorder\_Traverse(Tree, Root, Stack)

- (1) Set Stack[0]=NULL and Top=1 and Ptr=Root
- (2) Repeat while Ptr  $\neq$  NULL
  - (a) Set Stack[Top]=Ptr and Top=Top+1
  - (b) Set PTR=Ptr->Left
- (3) Set Ptr=Stack[Top] and Top := Top - 1
- (4) Repeat steps 5 to 7 while Ptr  $\neq$  NULL
- (5) Process Ptr->Info
- (6) If Ptr->Right  $\neq$  NULL then set Ptr=Ptr->Right and go to step 2.
- (7) Set Ptr=Stack[Top] and Top=Top-1
- (8) Exit



Example:

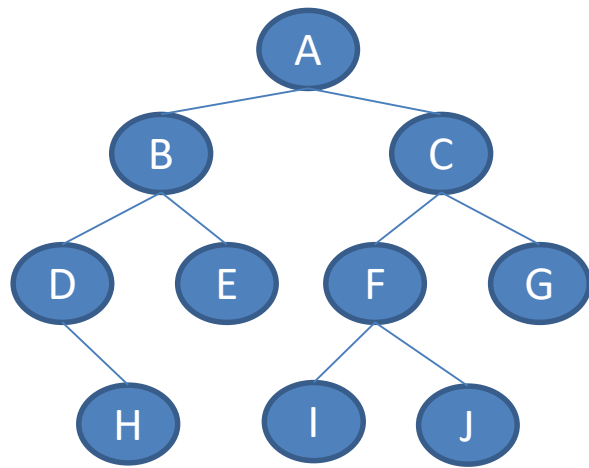


Figure: Binary Tree T

1. Initially  $\text{Ptr} := A$  and  $\text{Stack}: \emptyset$
2. Proceed down the left-most path rooted at  $\text{Ptr} = A$ , pushing A, B, D onto Stack.
3. Stack:  $\emptyset, A, B, D$
4. Pop the Stack and Set  $\text{Ptr} := D$ . Stack:  $\emptyset, A, B$
5. Process D. Set  $\text{Ptr} := H$ . Proceed down the left-most path rooted at  $\text{Ptr} = H$ , pushing H onto Stack. Stack:  $\emptyset, A, B, H$
6. Pop the Stack and Set  $\text{Ptr} := H$ . Stack:  $\emptyset, A, B$
7. 6. Process H.
8. Pop the Stack and Set  $\text{Ptr} := B$ . Stack:  $\emptyset, A$
9. Process B. Set  $\text{Ptr} := E$ . Proceed down the left-most path rooted at  $\text{Ptr} = E$ , pushing E onto Stack. Stack:  $\emptyset, A, E$

10. Pop the Stack and Set  $\text{Ptr} := \text{E}$ .      Stack:  $\emptyset, \text{A}$
11. Process E.
12. Pop the Stack and Set  $\text{Ptr} := \text{A}$ .      Stack:  $\emptyset$
13. Process A. Set  $\text{Ptr} := \text{C}$ . Proceed down the left-most path rooted at  $\text{Ptr} = \text{C}$ , pushing C, F, I onto Stack.      Stack:  $\emptyset, \text{C}, \text{F}, \text{I}$
14. Pop the Stack. Set  $\text{Ptr} := \text{I}$  .      Stack:  $\emptyset, \text{C}, \text{F}$
15. Process I.
16. Pop the Stack. Set  $\text{Ptr} := \text{F}$ .      Stack:  $\emptyset, \text{C}, \text{F}$
17. Process F. Set  $\text{Ptr} := \text{J}$ . Proceed down the left-most path rooted at  $\text{Ptr} = \text{J}$ , pushing J onto Stack.      Stack:  $\emptyset, \text{C}, \text{J}$
18. Pop the Stack. Set  $\text{Ptr} := \text{J}$ .      Stack:  $\emptyset, \text{C}$
19. Process J.
20. Pop the Stack. Set  $\text{Ptr} := \text{C}$ .      Stack:  $\emptyset$
21. Process C. Set  $\text{Ptr} := \text{G}$ . Proceed down the left-most path rooted at  $\text{Ptr} = \text{G}$ , pushing G onto Stack.      Stack:  $\emptyset, \text{G}$
22. Pop the Stack. Set  $\text{Ptr} := \text{G}$ .      Stack:  $\emptyset$
23. Process G.
24. Pop the Stack. Set  $\text{Ptr} := \emptyset$  and Exit.

**Inorder Traversal of T:    D, H, B, E, A, I, F, J, C, G**

## **Assignment**

Write an algorithm that will traverse a binary tree in postorder traversal using stack. Discuss the algorithm using example.

**END!!!**